

NAME: \_\_\_\_\_

SCHOOL: \_\_\_\_\_

1. The area of a circle is  $\frac{36}{\pi} \text{ cm}^2$ .  
What is the circumference of the circle (in  $\text{cm}$ )? \_\_\_\_\_(  $\text{cm}$  ) 1

2. Find the smallest prime number that has a digit sum of 10. \_\_\_\_\_ 2

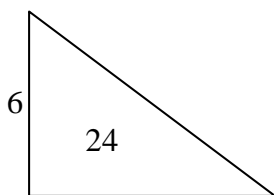
3. Find:  $1^5 + 2^4 + 3^3 + 4^2 + 5^1 =$  \_\_\_\_\_ 3

4. You roll a fair die. What is the probability that you roll a number that is either an even number or a multiple of 3?  
Express your answer as a fraction. \_\_\_\_\_ 4

5. Round the following quotient to the nearest integer:  $\frac{28.9}{3.1}$ . \_\_\_\_\_ 5

6. Given:  $x + 6y = 70$ , and  $2x = 3y$ . Find the value of  $x$ . \_\_\_\_\_ 6

7. The diagram shows a right triangle. The length of the smallest side is 6 and the area is 24. What is the length of the hypotenuse? \_\_\_\_\_ 7



8. By how many percent do you have to increase the number 8 to get the number 25?  
Give your answer in decimal form, correct to one decimal place. \_\_\_\_\_(%) 8

9. Simplify to a fraction in lowest terms:  $\frac{1 + 2 + 3}{2 \times (2 + 4 + 6) + 6}$ . \_\_\_\_\_ 9

Grade Seven (7) Division

10. In a school the ratio of Grade 5 students to Grade 6 students is 5 : 6 , and the ratio of Grade 6 students to Grade 7 students is 6 : 7 . There are 168 students in Grade 7 .  
How many students are there in Grades 5, 6, and 7 combined? \_\_\_\_\_(students) 10

11. What is the sum of all the distinct prime factors of 2007? \_\_\_\_\_ 11

12. Pinko cycled a distance of 42 km. Over the first half of the distance, he averaged 28 km/hr. Over the second half of the distance, he averaged 21 km/hr.  
What was his average speed over the entire distance (in km/hr)? \_\_\_\_\_(km/hr) 12

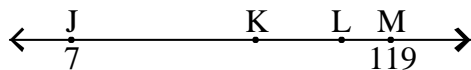
13. Ari has 50% more money than Bilha, and Carly has 250% more money than Bilha. Altogether, they have a total of \$312.  
How many dollars does Ari have? \_\_\_\_\_(\$) 13

14. The average of a list of 9 numbers is 1000. You append a 10-th number N to the list, and now the average of the 10 numbers in the list is 2007.  
What is the value of N? \_\_\_\_\_ 14

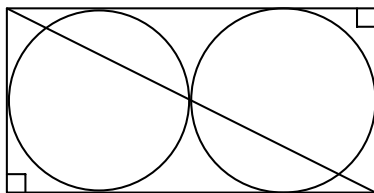
15. A shopkeeper received a container of fresh eggs. He sold  $\frac{1}{3}$  of the eggs in the morning and sold 320 eggs in the afternoon. At the end of the day he found that  $\frac{1}{4}$  of the eggs were not sold. How many eggs did he receive? \_\_\_\_\_(eggs) 15

16. On a trip to East Asia, Gilla spent a total of \$2200 in the 5 countries she visited. She spent  $\frac{19}{88}$  of the total amount in China, \$525 in Japan, \$480 in Korea, and for every dollar she spent in Thailand she spent 3 dollars in Vietnam.  
How much money (in dollars) did she spend in Vietnam? \_\_\_\_\_(\$) 16

17. J, K, L, and M are points on the number line as shown. K is the point  $\frac{2}{3}$  of the way from J to L. L is the point  $\frac{2}{3}$  of the way from K to M. The number located at J is 7, and the number located at M is 119. What number is located at L? \_\_\_\_\_ 17



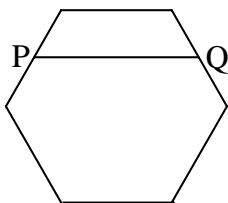
18. Two congruent circles are tangent to each other as shown. The length of the diagonal of the circumscribing rectangle is 20. What is the area of the rectangle?



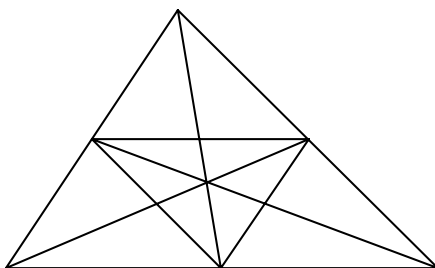
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Grade Seven (7) Division

19. Suppose that  $x$  and  $y$  are positive, and  $x \otimes y = 2x^2 + y^2$ .  
 Given that:  $x \otimes y = y \otimes x = 108$ , find the value of  $x + y$ . \_\_\_\_\_ 19
20. Working together, 15 men can build a boat in 40 days.  
 Working together, 20 women can build the boat in 25 days.  
 At the same rates, if 6 men and 5 women work together,  
 how many days will it take them to build the boat? \_\_\_\_\_(days) 20
21. Kirk has a total of  $M$  books, where  $M$  is smaller than 40 ( $M < 40$ ). The books are  
 on two shelves, Shelf A and Shelf B. Kirk noticed that the ratio of the number of  
 books on Shelf A to the number of books on Shelf B was an integer greater  
 than 3 but smaller than 10. He moved 7 books from Shelf A to Shelf B,  
 and now the new ratio is an integer greater than 1. What is the value of  $M$ ? \_\_\_\_\_ 21
22. Suppose that whenever a child is born, the probability is  $\frac{1}{2}$  that it is a boy  
 and  $\frac{1}{2}$  that it is a girl. A family has 6 children. What is the probability that  
 exactly 2 of them are boys? Express your answer as a fraction. \_\_\_\_\_ 22
23. The diagram shows a regular hexagon. The line  $PQ$  is parallel to one of the  
 sides of the hexagon and ends in two sides, bisecting each one of them.  
 What is the ratio of the area of the part of the hexagon "above"  $PQ$  to the  
 area of the whole hexagon? Express your answer as a common fraction. \_\_\_\_\_ 23



24. What is the sum of all the positive numbers  
 smaller than 500 and whose digit sum is 4? \_\_\_\_\_ 24
25. How many different triangles are there altogether in the diagram? \_\_\_\_\_(triangles) 25



26. You have 7 identical marbles and you want to distribute them between 4 jars  
 labelled A, B, C, and D. In how many different ways can you do this?  
 Hint: Each of the marbles must be placed in one of the jars but  
 please remember to also include the possibilities that one or  
 more of the jars can be left empty. \_\_\_\_\_(ways) 26